

# **Project in Computer Systems**

### **Covid-19 Simulations**

#### Uppsala University, January 2021

Contributors:

Amina Manafli, Christopher Edberg, Christopher Rydell, Hampus Adolfsson, Henrik Schulze, Isak Borg, Johan Boström, Jonatan Michalak, Nils Söderkvist, Wenhao Zhu

Supervised by: Stefanos Kaxiras

Acknowledgements: our thanks to Efthimios Kaxiras and his group for their guidance.



### Introduction / Background / Motivation

 Based on: "Multiple Epidemic Wave Model of the COVID-19 Pandemic: Modeling Study" [Kaxiras, Neofotistos, JMIR'20 vol 22]





# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: initial infections, asymptomatic, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks



# Agent based modelling

- Population of agents in some topology
- On each time step: agents interact with each other
- Based on the interaction the next time step starts with the population in a new state
- Agent interaction is governed by state transition diagram



Figure adapted from [Kaxiras, Neofotistos, JMIR'20 vol 22]



### The SAIVR Model

- **S Susceptible** An agent that is receptive to the disease
- A Asymptomatic An agent that is infected but doesn't show signs of infection
  - Infectious An agent that carries the disease and can infect others
- V Vaccinated An agent that has been vaccinated has a % chance to be immune
- **R Recovered** An agent that recovered can be reinfected after a period of immunity

These five states are used by both the Matrix Model and the Network Model.



# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: initial infections, asymptomatic, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks

#### Agent state diagram - Matrix Model

UPPSALA







#### State Transition Parameters - Matrix Model

RECOVERY\_RATE - Duration of infection INFECTION\_PROBABILITY - Chance to infect other

STARTER\_AGENTS - Initially infected agents SWAP\_AMOUNT - Number of daily travelers

RECOVERED\_MIN/MAX\_THRESHOLD - Time until agent can be re-infected

VACCINATION\_RATE - Duration for vaccine to take effect VACCINATION\_EFFICACY - Success rate of vaccine VACCINATIONS PER DAY - Daily distributed doses



Each community is represented as a uniform square grid

#### **Communities - Matrix Model**





#### **Communities - Matrix Model**



√L

Each community is represented as a uniform square grid Communities are connected by using their geographical proximities



√L



#### **Communities - Matrix Model**



√L

Each community is represented as a uniform square grid Communities are connected by using their geographical proximities Agents can travel between connected communities by using travel weights



#### Matrix Model - Geoplot

- By writing/reading computed data with CSV files we can plot geographical plots
- The model depicts the **297** communities of Sweden and a total of **7.6 million** agents.







# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: initial infections, asymptomatic, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks

#### UPPSALA UNIVERSITET

#### Agent state diagram - Network Model





#### State transition Parameters - Network Model

initial\_infected - Initial number of randomly chosen infected

- $\ensuremath{\mathbb{T}}\xspace$  Number of time steps
- $\mathbb{T} \ \mathbb{v}$  Vaccination start time
- $n \ v$  Vaccines available per time step
- ${\tt p}~{\tt v}$  Vaccine success probability
- d  $\,\,\mathrm{v}\,\,$  Time until vaccine success

vaccination\_strategy - Strategy used for vaccinating agents

- n i Infection attempts if infected
- ${\tt p}~\textsc{i}~\textsc{-}$  Infection probability if infected
- ${\tt p}~{\tt t}$  Travel probability if infected
- $\texttt{d\_i}$  Disease duration if infected
- $\texttt{a\_p}\ \textbf{-Probability}$  of becoming asymptomatic



#### State transition Parameters - Network Model

initial\_infected - Initial number of randomly chosen infected

- $\ensuremath{\mathbb{T}}\xspace$  Number of time steps
- $\mathbb{T} \ \ v \$  Vaccination start time
- $n \ v$  Vaccines available per time step
- ${\tt p}~{\tt v}$  Vaccine success probability
- d  $\,\,\mathrm{v}\,$  Time until vaccine success

vaccination\_strategy - Strategy used for vaccinating agents

- n i Infection attempts if infected p i - Infection probability if infected
- p t Travel probability if infected
- d\_i Disease duration if infected

These parameters can be set separately for asymptomatic agents

 $\texttt{a\_p}\ \ \textbf{-Probability}$  of becoming asymptomatic



#### What is the Network Model?

Graphs instead of Matrices!

What are the benefits of a matrix of agents?

- Simple to construct
- Simple to dynamically change the range of infection
- Clustering behavior

What are the downsides?

• Hard to model more complex relationships

What if we use **graphs** instead?

- Node: Agent
- Edge: path of infection



#### Graph representations

Example Graph





Figure adapted from [Balaji et al. HPCA'21]



#### Graph representations

Example Graph





Figure adapted from [Balaji et al. HPCA'21]



#### Graph representations

Example Graph 4 3 Src Dst



2 3 0 3 4 Compressed Sparse Column (CSC) is used for Pull Traversals 6 1 3 0 0 Compressed Sparse Row (CSR) is used for Push Traversals

8

Figure adapted from [Balaji et al. HPCA'21]



"Random Network", equal number of connections per agent. Example: population size = 8 ; each agent has 3 connections/neighbors.

All connections bidirectional  $\Rightarrow$  complicates the algorithm

Time complexity:  $\Theta(N \times N_0)$ 

No clustering behavior: – my neighbors have no connections to one another – very unrealistic Results in very fast transmission in simulations. 1: Create **N** = 8 agents/nodes



2: Randomly add edges to get degree **N**<sub>0</sub> = 3





#### Newman-Watts small world graph

1: Create **N** = 10 nodes

2: Connect each node to **k** = 2 neighbors on each side

3: Create random shortcuts with probability **p** 







Time complexity:  $\Omega(Nk)$   $O(N^2)$ 



#### **Communities - Network Model**



Each community contains a graph





#### **Communities - Network Model**





Each community contains a graph

Communities are manually connected to each other in a larger graph





**Communities - Network Model** 

Each community contains a graph

Communities are manually connected to each other in a larger graph

Based on the probability  $\mathbf{p}_t$ , an infected agent either tries to infect a neighbor in their own community or a random agent in a neighboring community.



#### Community graph - Network Model

- 10 largest municipalities in Sweden, population of each scaled to 1/3
- Regions connected based roughly on proximity and train lines
- Total population of 1 million





# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: asymptomatic rate, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks

#### Matrix Model: Quarantine

Infected

Asymptomatic



#### Matrix Model: Quarantine

Infected

Asymptomatic





#### Matrix Model - Effect of travel intensity









#### Network Model - effect of **asymptomatic** travel intensity



#### 0.1% travel probability

400

400

0.001% travel probability



### Network Model variance

The Network Model more sensitive to randomization:

Depending on random seeds:

- Initial (random) placement of infected:
  - up to +/- 8%
- Travel
  - up to +/- 5%
- In large part: artifact of the small number of communities modelled (10)
- Results should be based on multiple runs and shown with confidence intervals



# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: initial infections, asymptomatic, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks



### Vaccinations strategies

- Uniform distribution
- High Density
- Low Density


# Matrix Model - Vaccination





No vaccination



### Matrix Model - Vaccination

Infected



# Matrix Model - Vaccination with re-infection







No vaccination

## Matrix Model - Vaccination with re-infection

Infected

Asymptomatic





# Network Model - vaccination strategies, Newman-Watts





# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: initial infections, asymptomatic, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks

# Web User Interface





- ReactJS
- Graph represented by force-directed graph of D3 library, and using ChartJS for plotting

Demo



## Web User Interface





# Road map

- The basics: Agent based modeling and states
- The Matrix Model
- The Network Model
- Results!
  - Matrix Model: quarantine, travel
  - Network Model: initial infections, asymptomatic, travel
- Both models: vaccination strategies
- Web User Interface
- Some Final Remarks



# A few Computer Science aspects

- Data Structures
  - Matrix Model is designed to be cache-friendly: spatial locality
    - Structures of Arrays vs Array of Structures
  - Network Model: Compressed Sparse Row format efficient but not cache-friendly



# A few Computer Science aspects

- Data Structures
  - Matrix Model is designed to be cache-friendly: spatial locality
    - Structures of Arrays vs Array of Structures
  - Network Model: Compressed Sparse Row format efficient but not cache-friendly
- Algorithms
  - Time complexity for simulations: *O(nAgents)* 
    - Creating Newman-Watts graphs is O(nAgents<sup>2</sup>)
  - Tradeoff: runtime vs random accuracy



# A few Computer Science aspects

- Data Structures
  - Matrix Model is designed to be cache-friendly: spatial locality
    - Structures of Arrays vs Array of Structures
  - Network Model: Compressed Sparse Row format efficient but not cache-friendly
- Algorithms
  - Time complexity for simulations: *O(nAgents)* 
    - Creating Newman-Watts graphs is O(nAgents<sup>2</sup>)
  - Tradeoff: runtime vs random accuracy
- Parallelization
  - Matrix Model is already parallelized with OpenMP
    - Lock-free algorithm
    - ~1.9x speedup on 6 cores
  - Network Model: considering parallelization strategies



# Difference between solutions

	Speed/Efficiency	Agent connections	Vaccination strategy	Quarantine support
Matrix Model	Faster - Better spatial locality	Uniform structure	S + R can be vaccinated	Yes
Network Model	Resource intensive	More flexible structure	Only S can be vaccinated	No



# Summary

- Two different implementations of the same problem
- Highly modular/flexible, lots of parameters allowing us to create multiple different scenarios
- Test out different vaccinations strategies
- Matrix solution is optimized to be run on high performance computer, 7.6 million agents simulation can be run in approx. one and a half minute on a desktop computer
- Network solution utilizes compressed sparse row for efficiently fitting very large matrices in memory, around 0.05% size in demos shown.



# Follow-up work

- Connect solutions with the Web User Interface
- Parallelize with pthreads and MPI (OpenMP parallelization already available for Matrix)
- Test optimization strategies on HPC system
- Additional behavior:
  - Multiple quarantines
  - Seasonal characteristics/variables/virus mutations
    - Mainly expressed as a change in the infection probability starting (and/or ending) at specific simulation times
    - Possibility to model multiple virus strains simultaneously
- More complex infection model for Network implementation





### Follow-up work

- Connect solutions with the Web User Interface
- Parallelize with pthreads and MPI (OpenMP parallelization already available for Matrix)
- Performance comparisons
- Test optimization strategies on HPC system
- Additional behavior:
  - Additional Vaccination strategies
  - Multiple quarantines
  - Seasonal characteristics/variables/virus mutations
    - Mainly expressed as a change in the infection probability starting (and/or ending) at specific simulation times
    - Possibility to model multiple virus strains simultaneously
- More complex infection model for Network implementation



#### Newman-Watts small world graphs

Option 2: Newman-Watts small world

- Create a regular 1D lattice of N nodes with edges connecting each node to the k nearest neighbors on each side
- Iterate through each pair of non-connected nodes, add an edge with probability p

#### Advantages:

- Short path between any two nodes possible despite small degree
- Clustering behavior with the nodes from the regular lattice

### Disadvantages:

• Difficult to dynamically change connections like in the matrix model

Wang, Xiao Fan, and Guanrong Chen. "Complex networks: small-world, scale-free and beyond." *IEEE circuits and systems magazine* 3.1 (2003): 6-20.

Newman, Mark EJ, and Duncan J. Watts. "Renormalization group analysis of the small-world network model." *Physics Letters A* 263.4-6 (1999): 341-346.



### Web User Interface



web application framework with c++14/17

- High performance web application platforms
- cross-platform
- Support JSON format request and response



# Network Model - Effect of number of initial infections





Agent count per status



5 initial

200 initial



### Network Model - effect of vaccination strategy (random graphs)





#### Matrix Model - Effect of travel intensity, without re-infection



